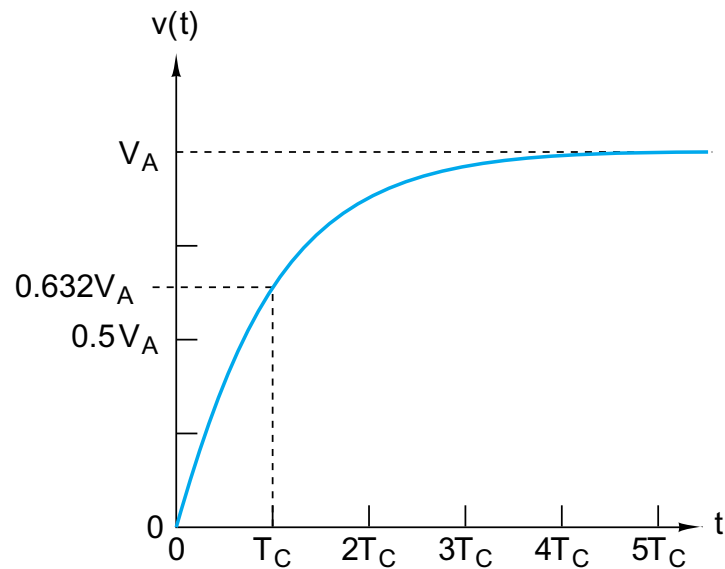


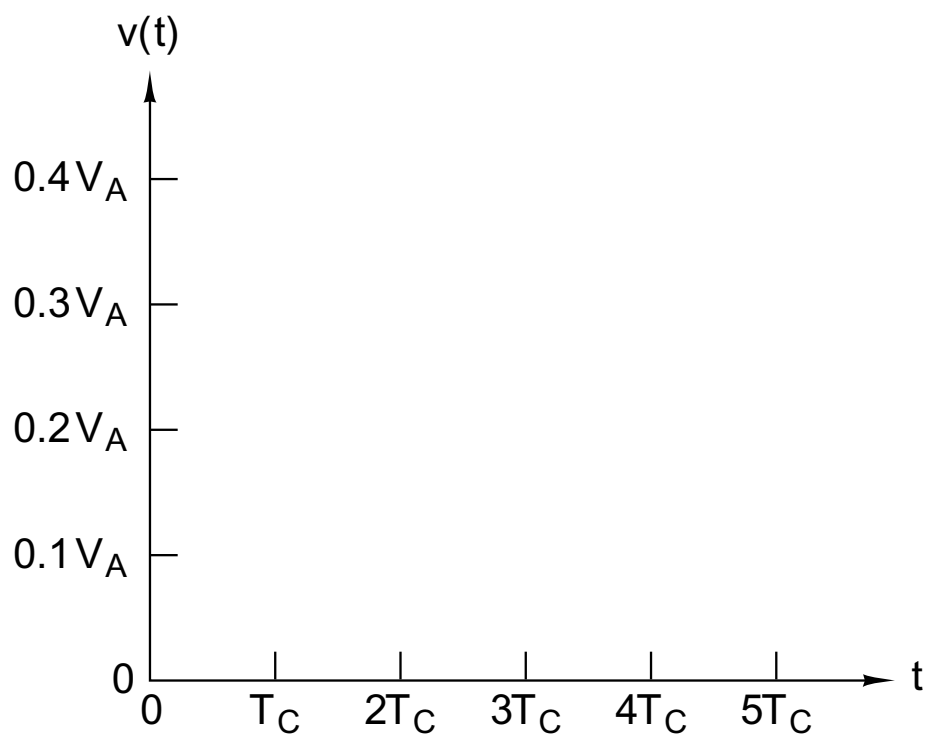
Composite Waveforms- combining the basic waveforms to make really nasty stuff.

e.g, express the following curve in terms of simple waveforms:



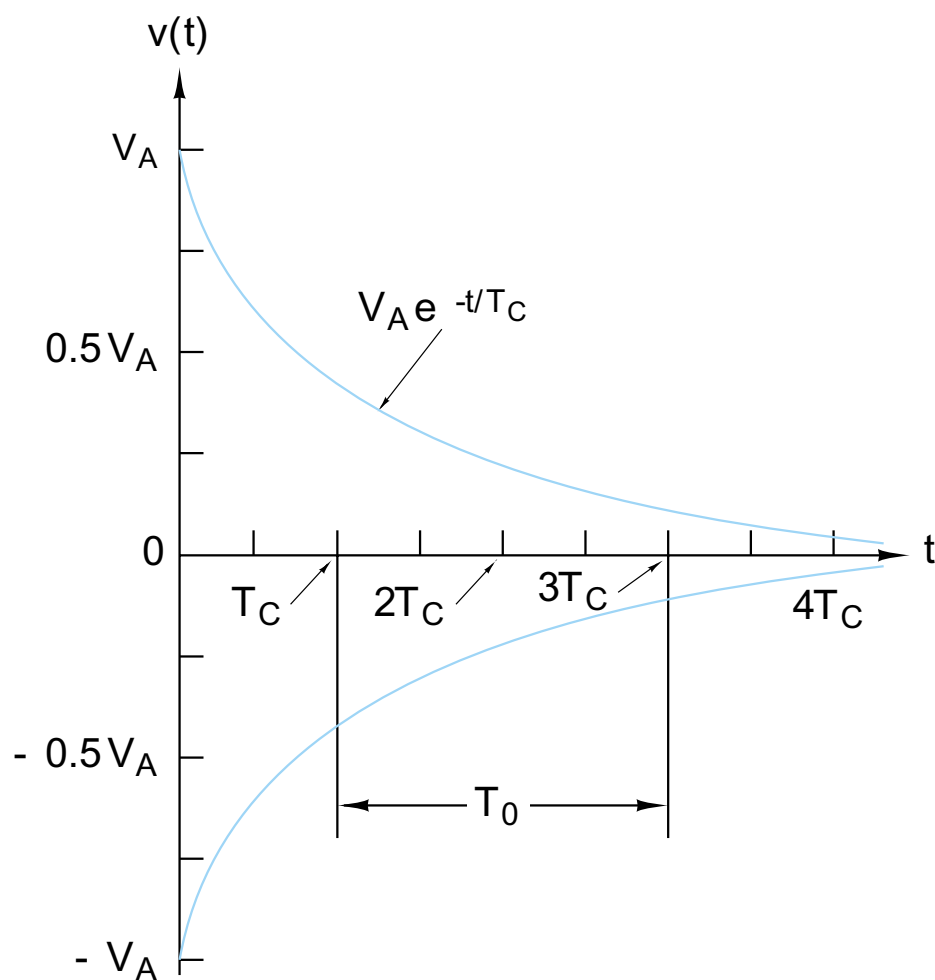
Putting the hand on the other foot, characterize the following waveform:

$$v(t) = \frac{r(t)}{T_C} [V_A e^{-t/T_C}] u(t)$$

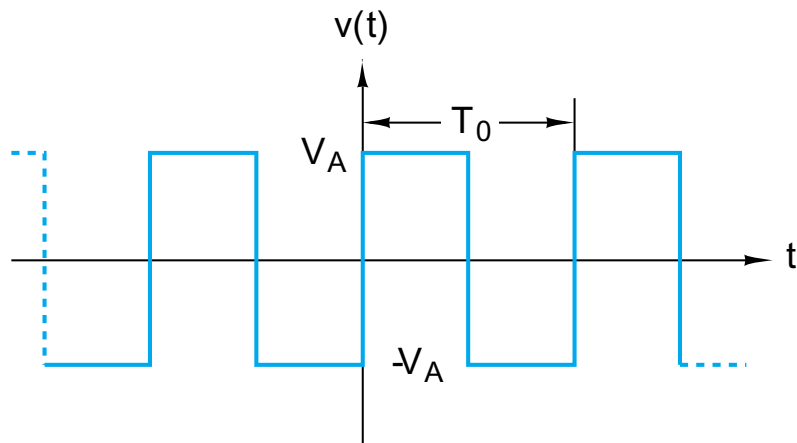


And you thought you only had two feet... characterize this waveform too:

$$v(t) = \sin \omega_o t \left[ V_A e^{-t/T_C} \right] u(t)$$



And back to stepping on our hands, develop an equation for the following square wave:



Back to the books...

instantaneous value vs. waveform/function/signal

Temporal descriptors:

a signal is periodic iff  $\exists T_0$  s.t.  $v(t+T_0)=v(t) \forall t$

a signal is causal iff  $\exists T$  s.t.  $v(t) \equiv 0 \forall t < T$

(If you can't follow this notation, the book says the same thing in English)

## Amplitude descriptors:

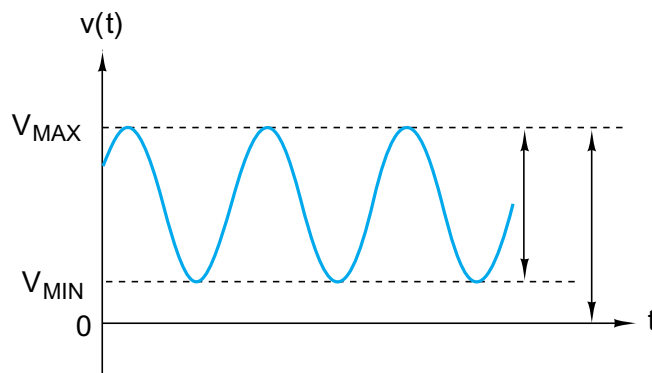
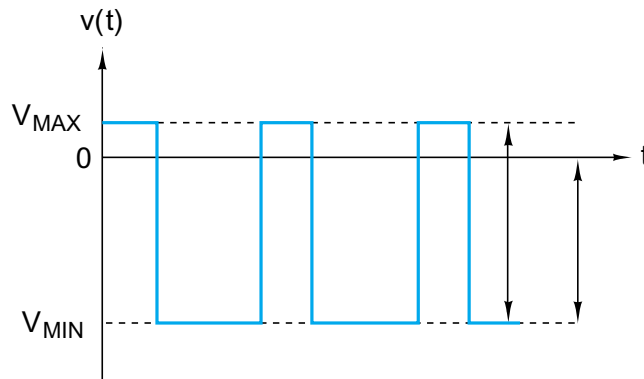
When we're out together dancing peek to peek...

peek to peek voltage (or other signal) is defined by:

$$V_{pp} = V_{Max} - V_{Min}$$

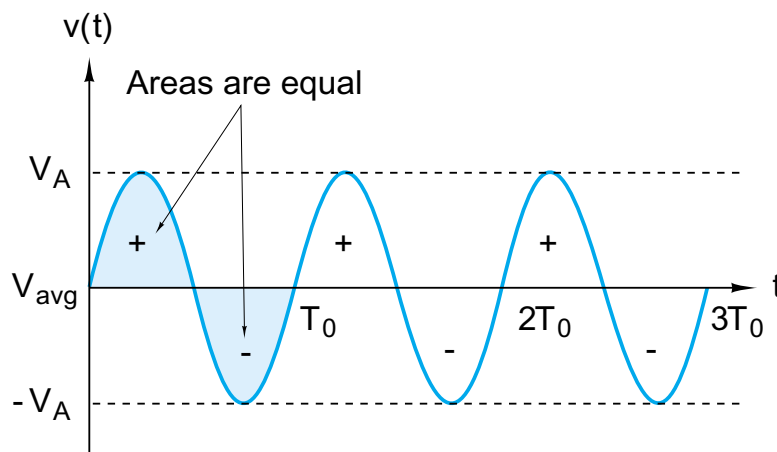
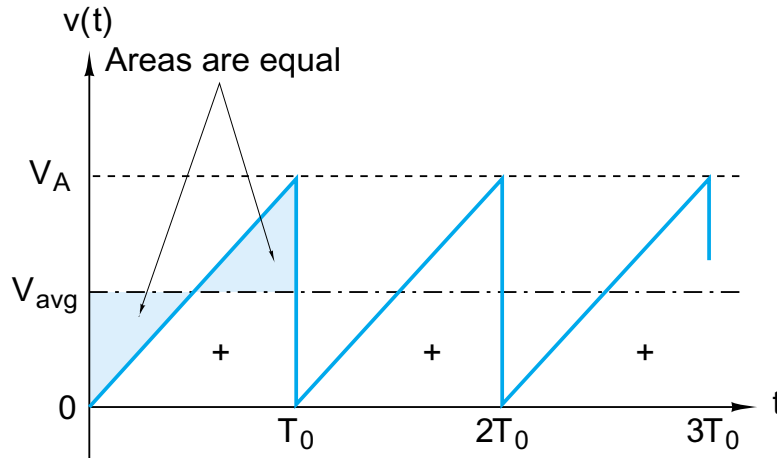
peek voltage (or other signal) is defined by:

$$V_p = \max(|V_{Max}|, |-V_{Min}|)$$



average voltage (or other signal) over interval T is defined by:

$$V_{avg} = \frac{1}{T} \int_t^{t+T} v(x) dx$$



Root mean square (RMS) - applying what we know to something you will see much more of in future classes

instantaneous power:  $p(t) = \frac{1}{R} [v(t)]^2$

average power:  $P_{avg} = \frac{1}{T} \int_t^{t+T} p(x) dx = \frac{1}{R} \left[ \frac{1}{T} \int_t^{t+T} [v(x)]^2 dx \right]$

now take the square root and note that "mean"="average"

RMS voltage:  $V_{rms} = \sqrt{\frac{1}{T} \int_t^{t+T} [v(x)]^2 dx}$

finally,  $P_{avg} = \frac{1}{R} V_{rms}^2$

RMS voltage provides a measure of the power carried by a periodic signal.

"If you put a tin can in the microwave, you'll be as powerful as they are"

$$v(t) = V_A \cos(\omega_o t + \phi)$$

this periodic signal is characterized by three parameters:

Amplitude:  $V_A$

Frequency:  $\omega_o$

Phase:  $\phi$

By combining sinusoids (some times an infinite number of them), we can build any periodic signal.

In fact, if the signal of interest has a frequency  $\omega_o$  (how does this relate to  $T$ ?) we will only need to use sinusoids at the fundamental frequency,  $\omega_o$  and harmonic frequencies  $n \cdot \omega_o$ .

