

Rules for the test are the same as outlined in Lecture 12, please review them.

The test will cover material through this lecture.

Given

$$\operatorname{Re}\{Ae^{j\theta}e^{j\omega t}\} = \operatorname{Re}\{Be^{j\phi}e^{j\omega t}\}$$

Prove

$$Ae^{j\theta} = Be^{j\phi}$$

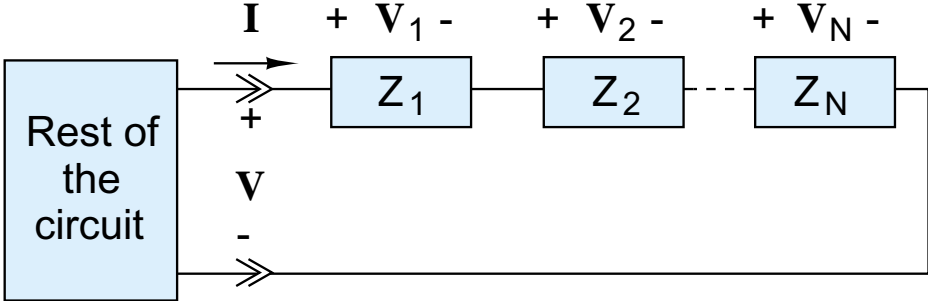
1) $\operatorname{Re}\{Ae^{j\theta+j\omega t}\} = \operatorname{Re}\{Be^{j\phi+j\omega t}\}$
since they are exponentials

2) $A\cos(\omega t + \theta) = B\cos(\omega t + \phi), \quad \forall t$
via Euler's equation and the "real" operator

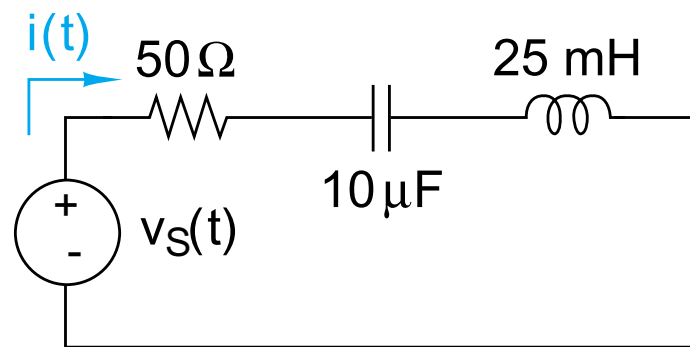
but (2) can only be true if $A = B$ and $\theta = \phi$, thus,

$$Ae^{j\theta} = Be^{j\phi}$$

Have we met somewhere before?

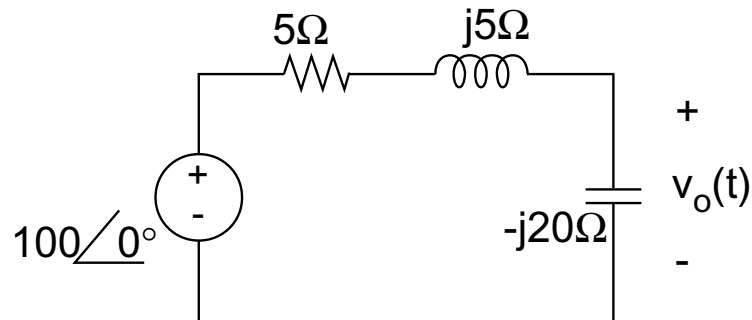


Now this is what a proper lecture is all about,



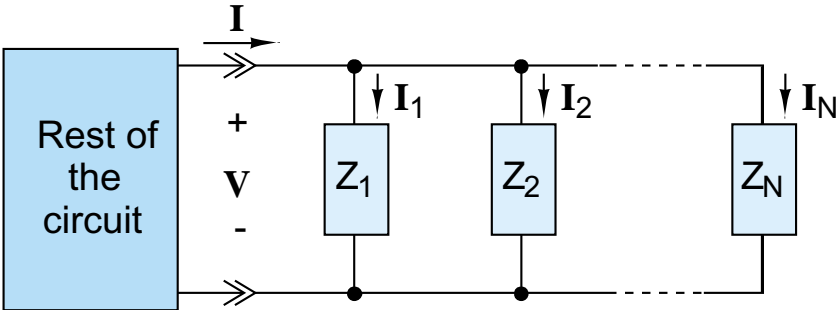
If this circuit is in sinusoidal steady state with $v_s(t)=35\cos(1000t)\text{V}$, solve for the phasor current and the phasor voltage across each element, then convert back to the time domain.

Now something is resonating here...

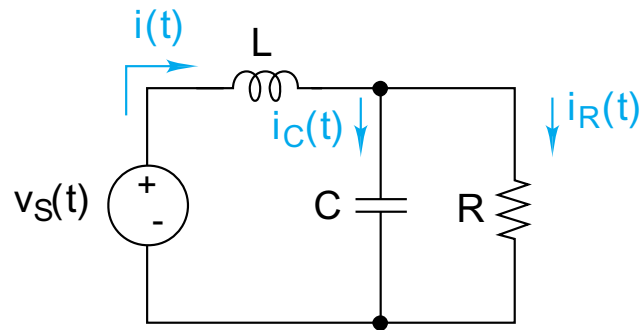


Let $\omega=377$ radians, solve for $v_o(t)$, repeat with $Z_L=j20\Omega$

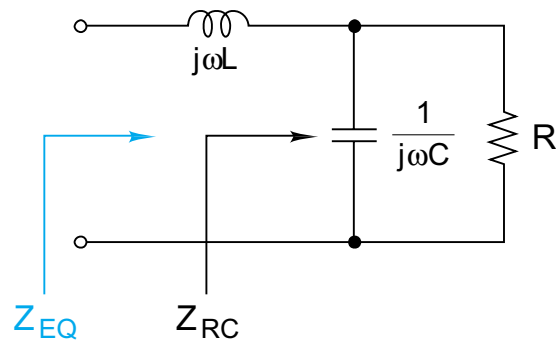
Perhaps it was Paris???



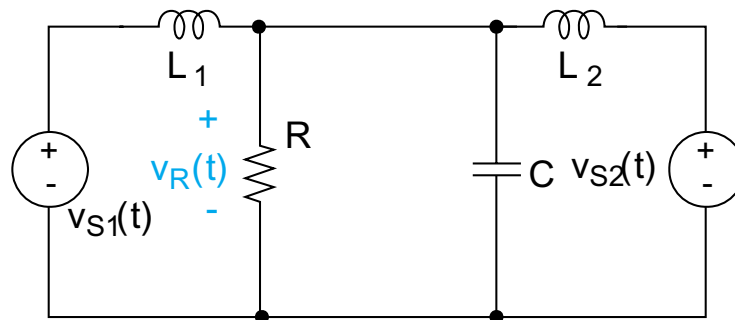
Find the steady state currents in this circuit given $v_s(t) = 100\cos 2000t$, $L = 250\text{mH}$, $C = 0.5\mu\text{F}$, and $R = 3\text{k}\Omega$



Now something is resonating here...



Okay, this one is tricky, find $v_R(t)$



$v_{s1}(t) = 100\cos 5000t$, $v_{s2}(t) = 120\cos(5000t + 30^\circ)$, $R = 20\Omega$,
 $L_1 = 2\text{mH}$, $L_2 = 6\text{mH}$, $C = 20\mu\text{F}$